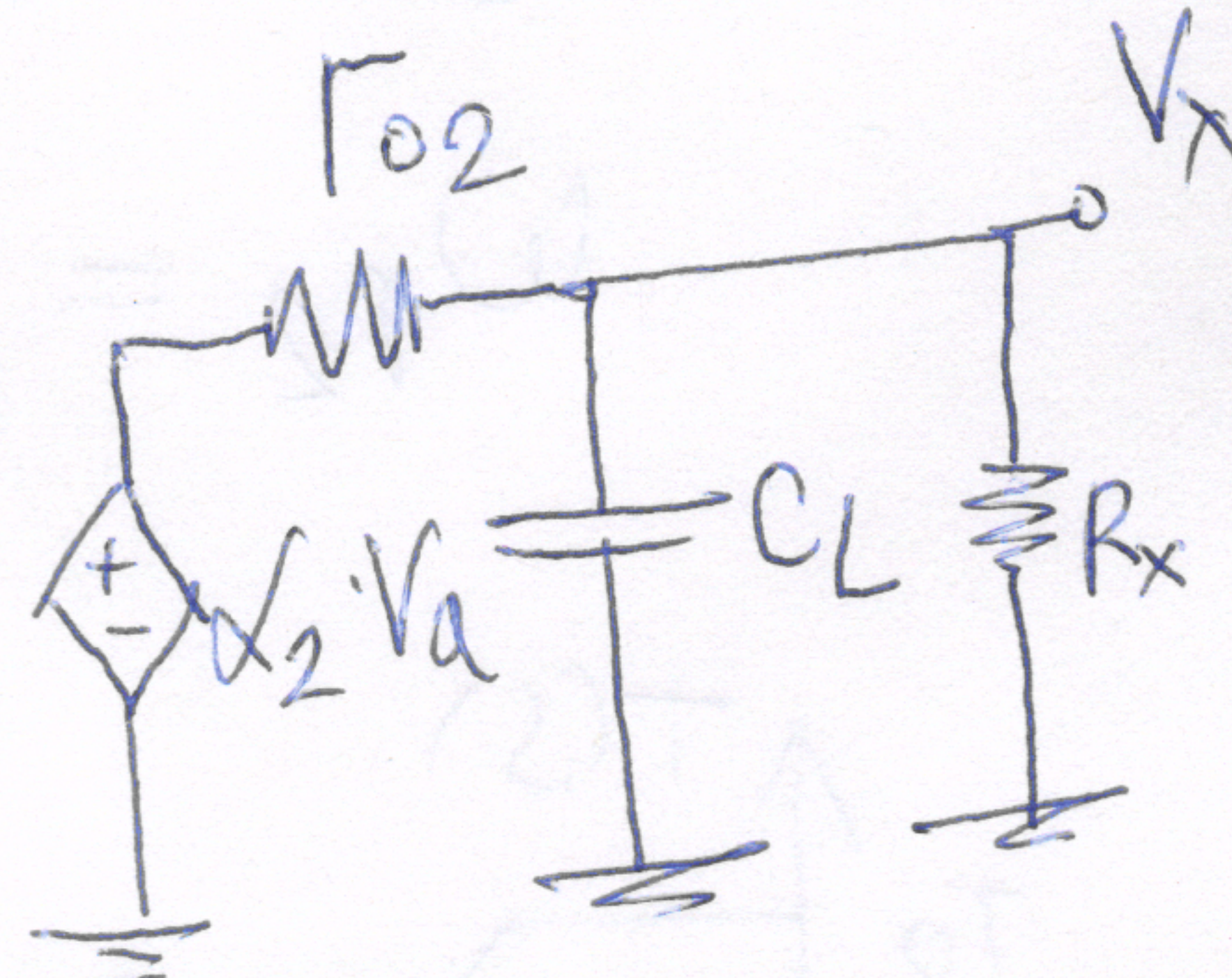
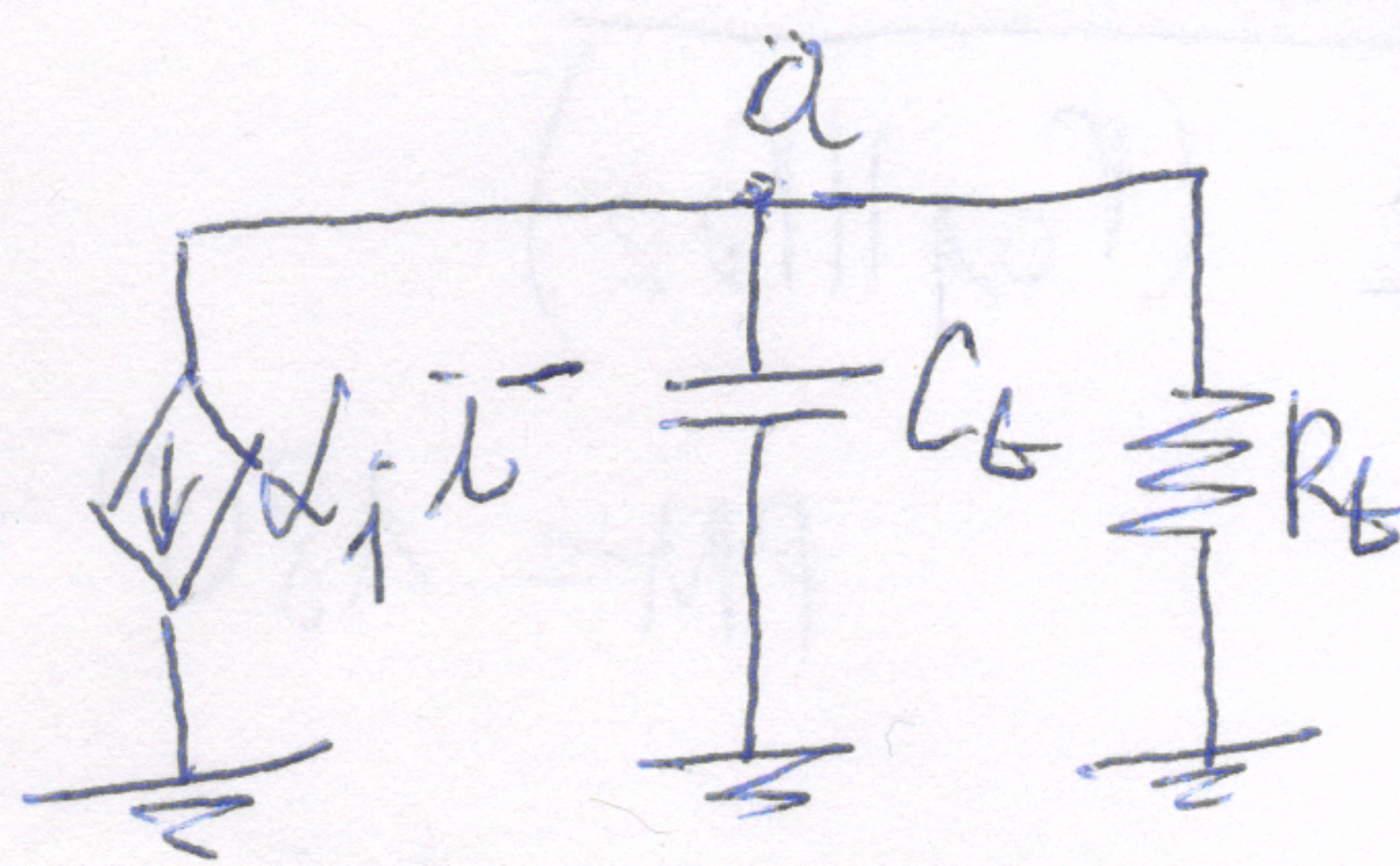
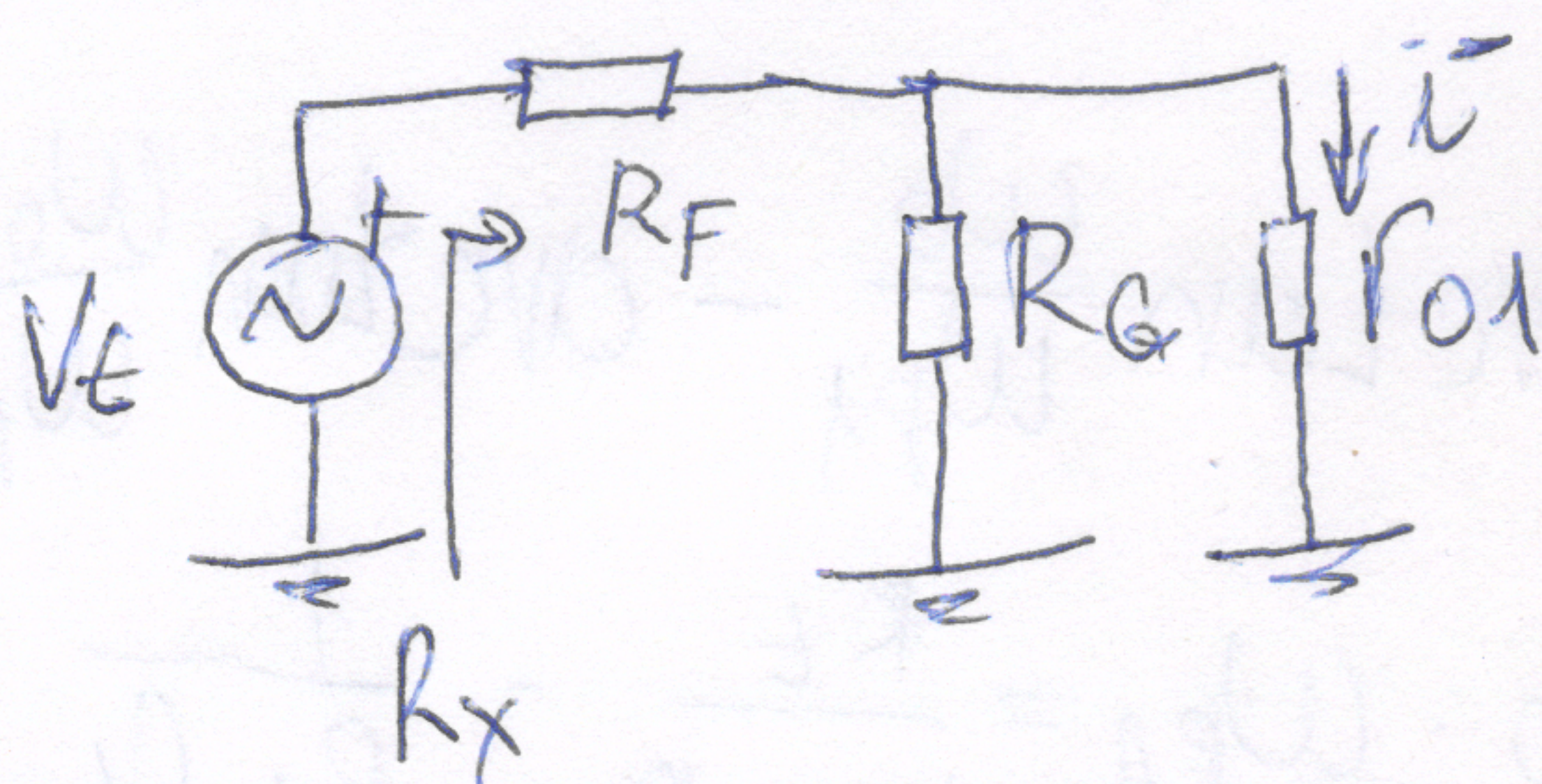
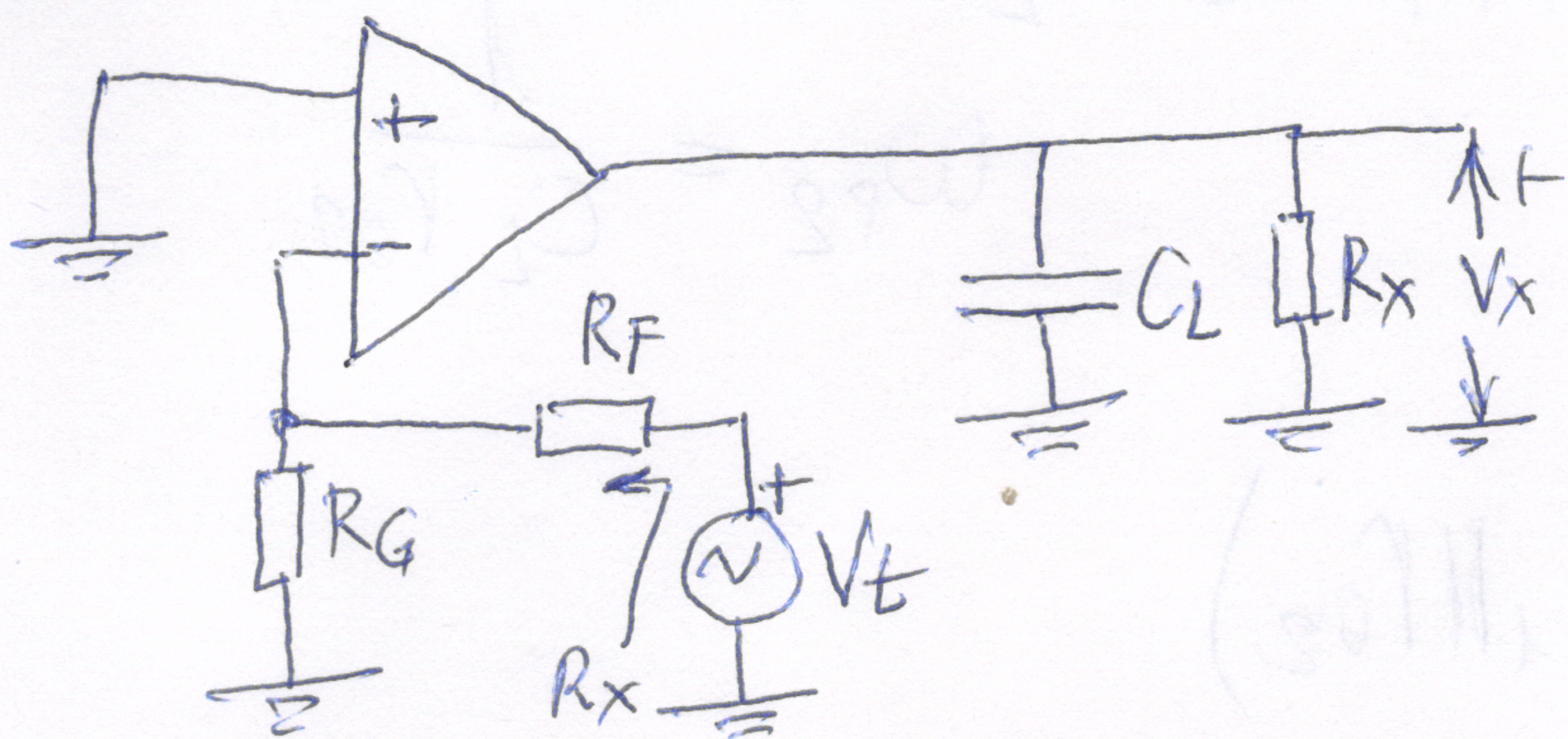
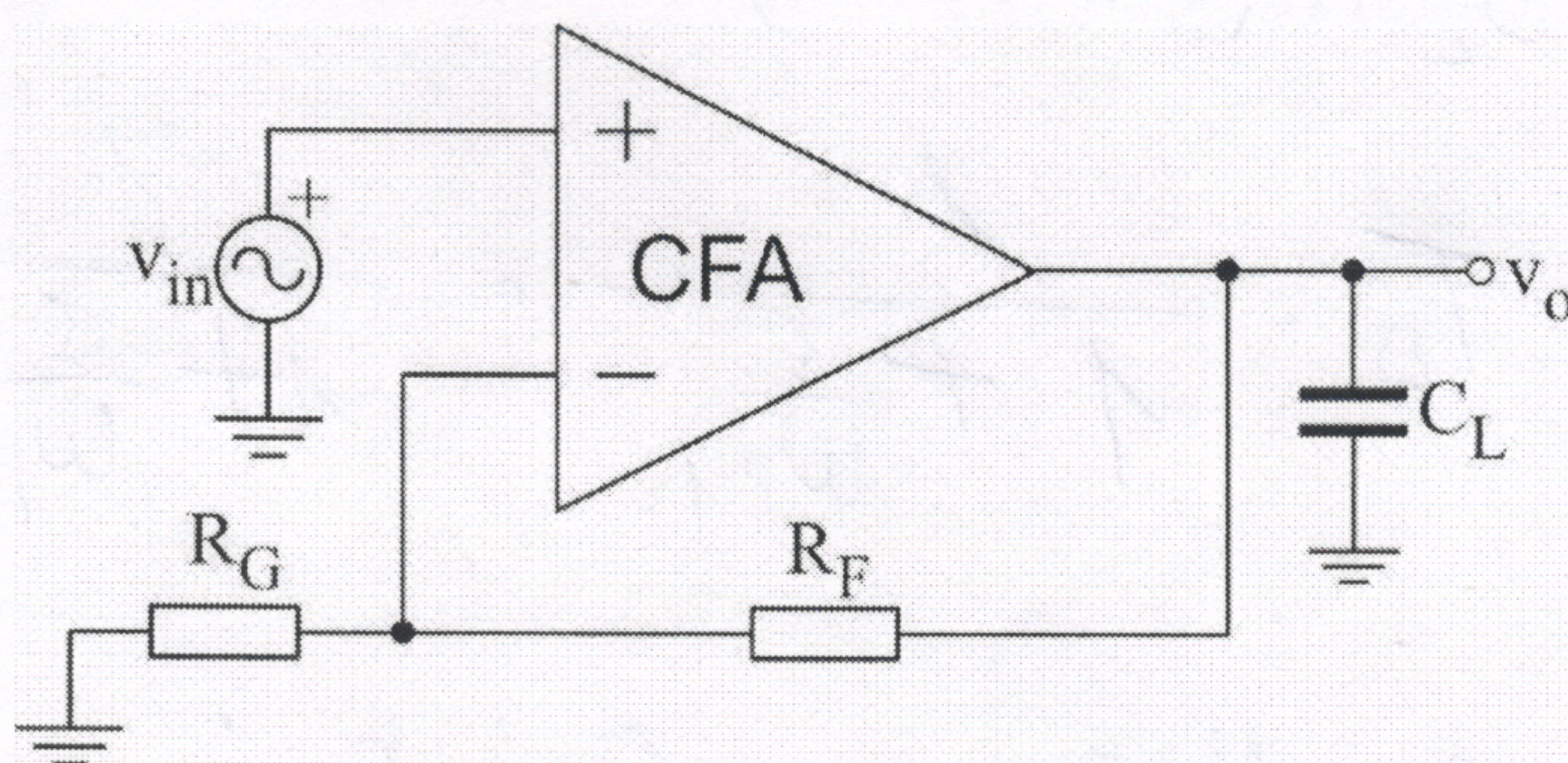


1. Na izlaz neinvertujućeg pojačavača realizovanog primenom transimpedansnog operacionog pojačavača priključen je kondenzator C_L . Poznate su vrednosti R_F i R_G . Ukoliko su poznati parametri CFA: izlazna otpornost ulaznog bafera r_{o1} , ulazna otpornost izlaznog bafera R_T , izlazna otpornost izlaznog bafera r_{o2} , kompenzaciona kapacitivnost C_c , odrediti:

- Odrediti polove kružnog pojačanja $T(S)$, za zadatu vrednost otpornika R_F .
- Odrediti polove kružnog pojačanja $T(S)$, kada su izlaz i invertujući ulaz kraktopojeni $R_F=0$.

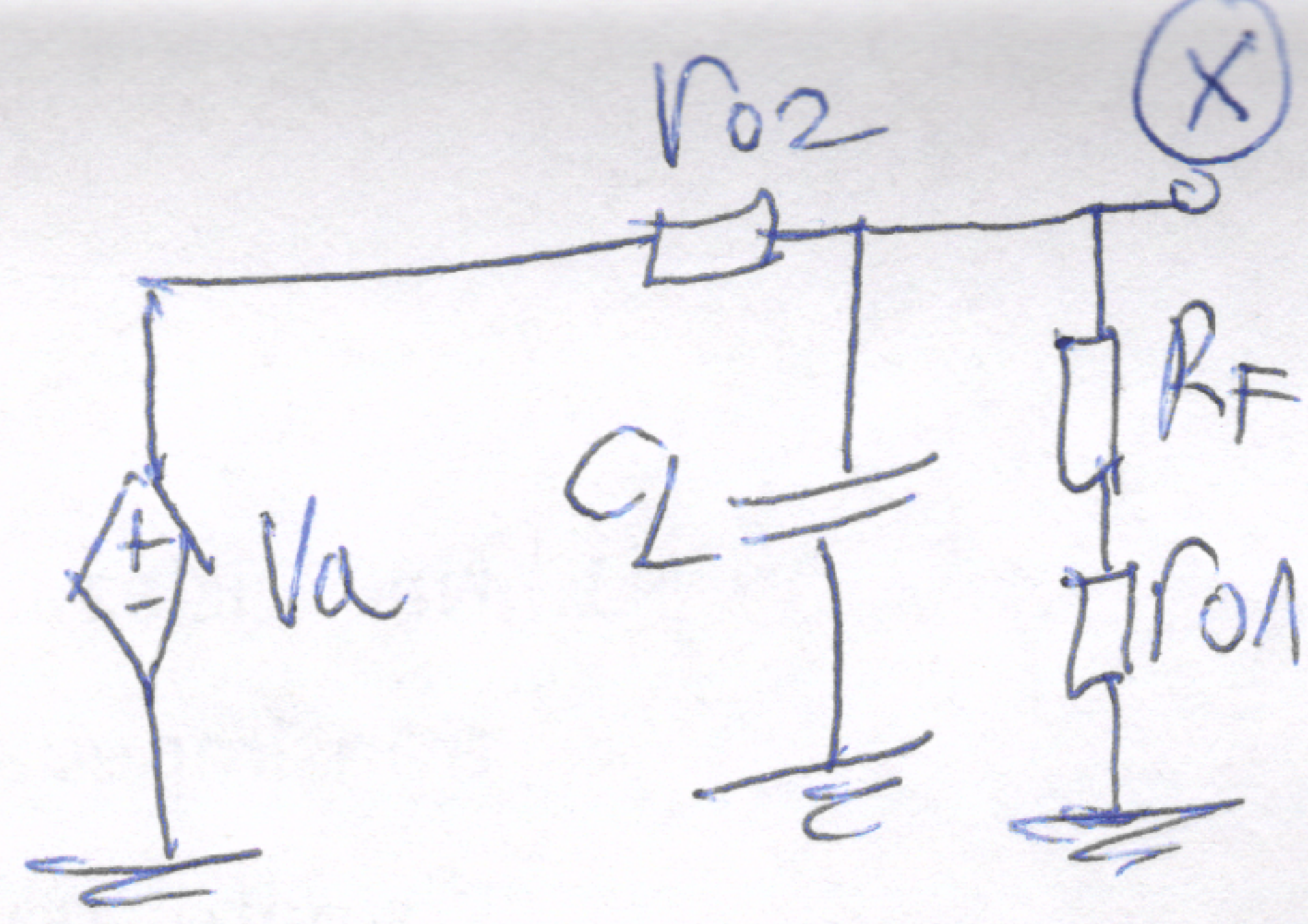
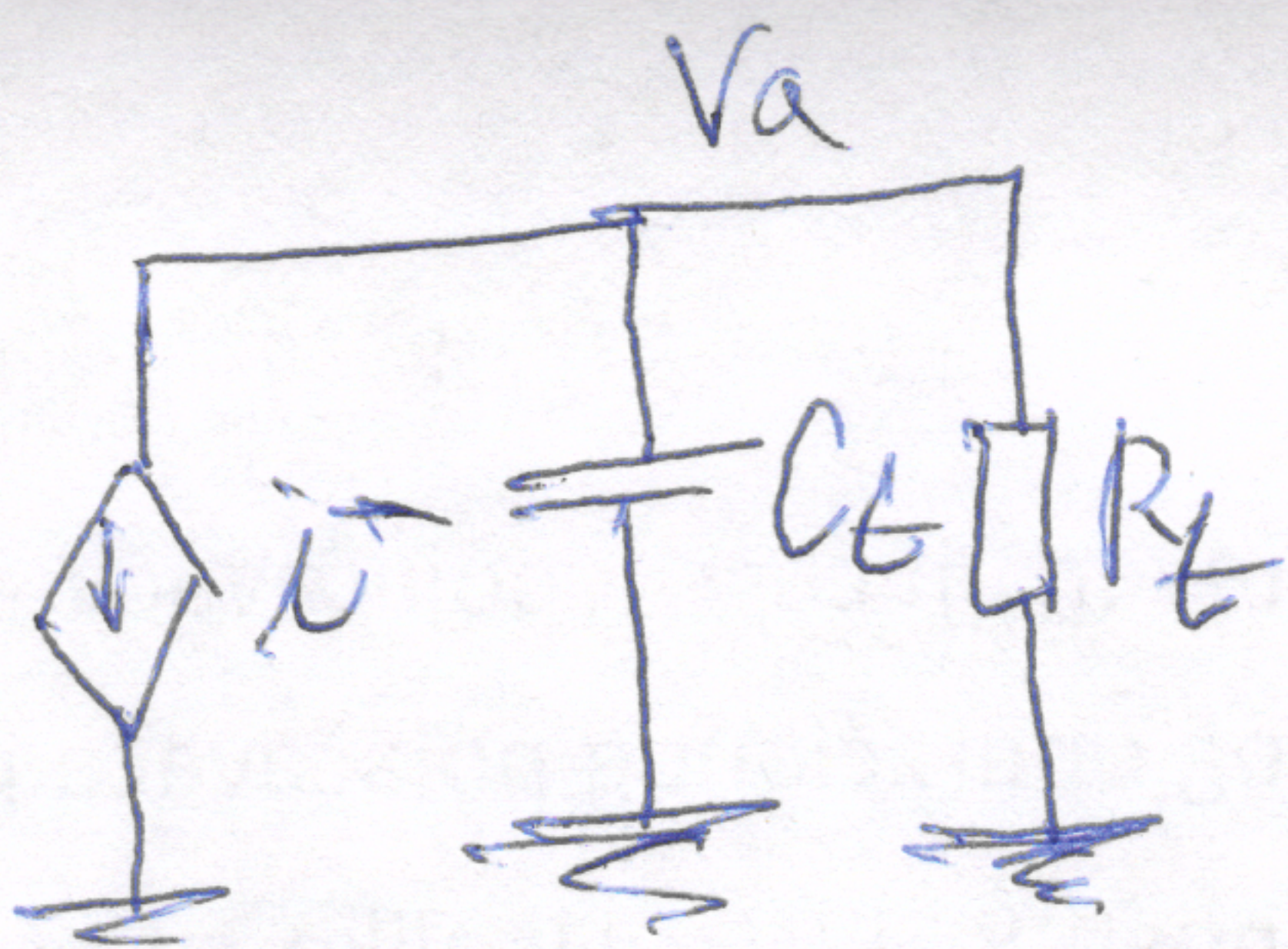
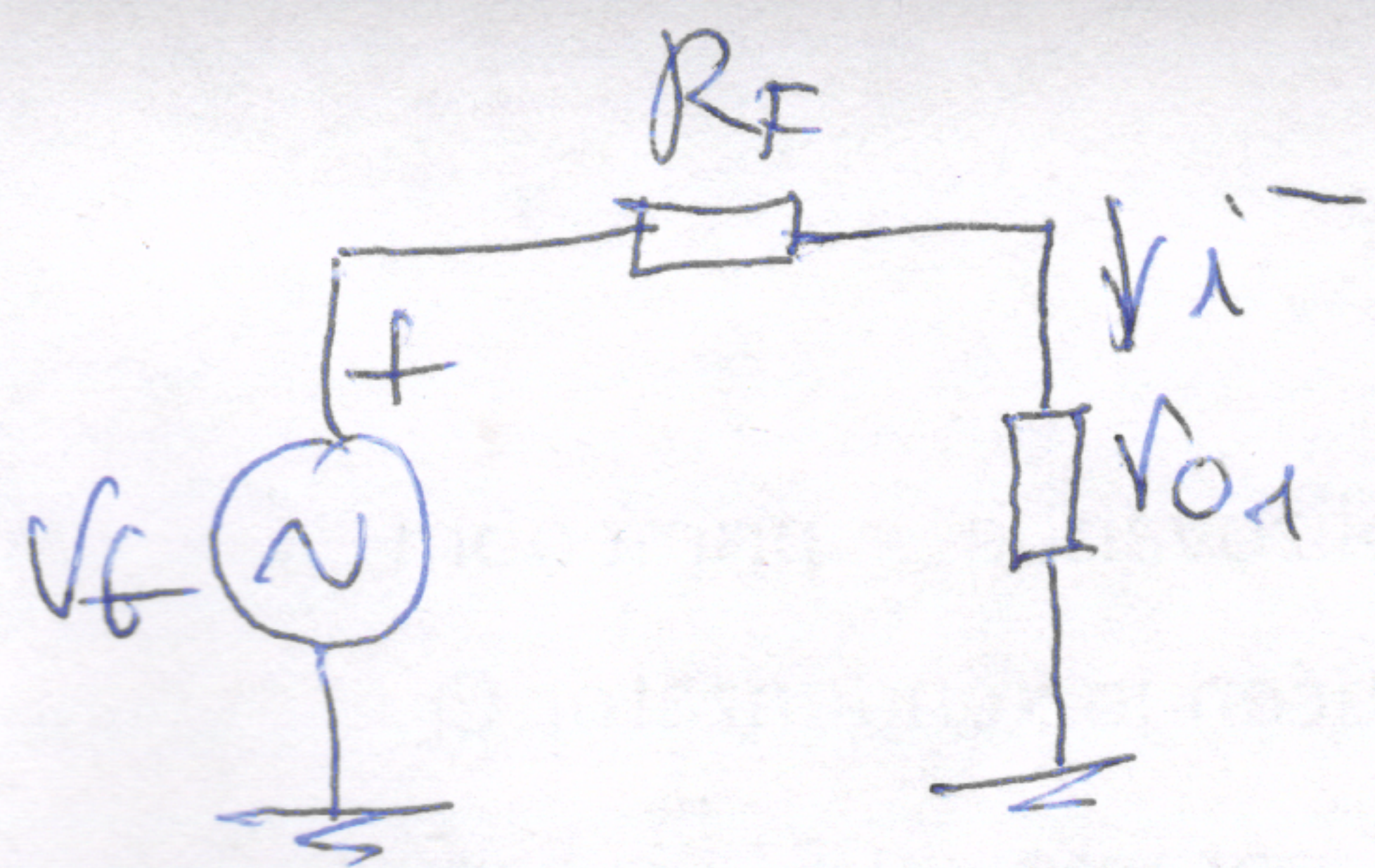


$$\alpha_1 = \alpha_2 = 1$$

$$R_x = R_F + R_G \parallel r_{o1} \approx R_F + r_{o1}$$

$$T_o = \frac{1}{R_x} \cdot \frac{R_G}{(R_G + r_{o1})} \cdot \alpha_1 \cdot R_t \cdot \frac{R_x \alpha_2}{R_x + r_{o2}} \approx \frac{R_t R_G}{R_G (R_x + r_{o2})}$$

$$T_o = \frac{R_t}{R_F + r_{o1} + r_{o2}} \quad \text{— Jednosmerna vrednost kružnog pojačavača}$$



$$T_1 = C_t \cdot R_t$$

$$\omega_{p1} = \frac{1}{C_t \cdot R_t} - \text{dominant pole}$$

$$T_2 = C_L \cdot r_{O2} \parallel (R_F + r_{O1})$$

$$T(s) = T_0 \cdot \frac{1}{1 + \frac{s}{\omega_{p1}}} \cdot \frac{1}{1 + \frac{s}{\omega_{p2}}}$$

a) $T_2 = C_L \cdot r_{O2} \parallel R_F \approx C_L \cdot r_{O2}$
 $R_F \gg r_{O1}$

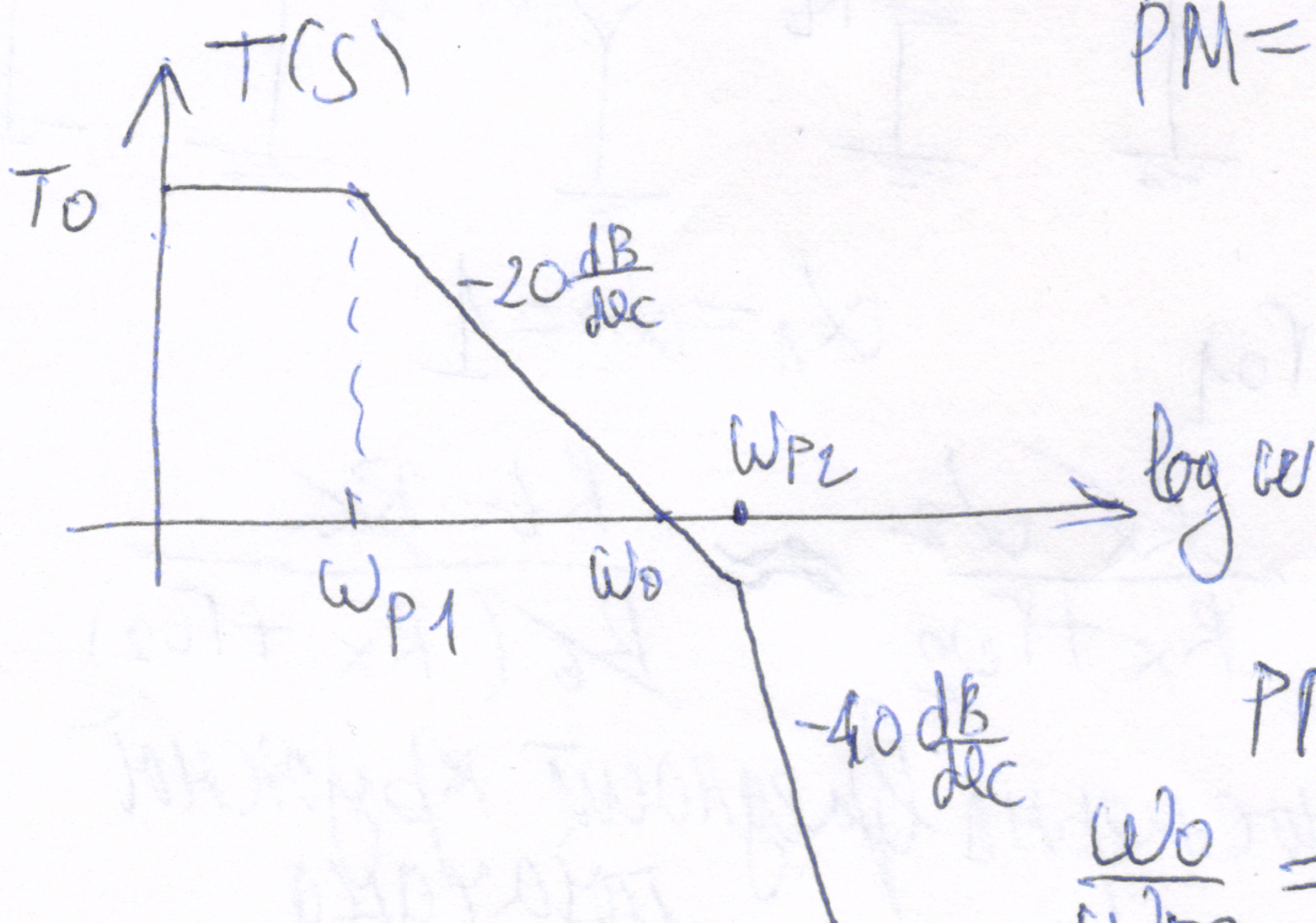
$$\omega_{p2} = \frac{1}{C_L \cdot r_{O2}}$$

b) $R_F = 0$

$$T_2 = C_L \cdot (r_{O1} \parallel r_{O2})$$

$$\omega_{p2} = \frac{1}{C_L \cdot (r_{O1} \parallel r_{O2})}$$

$$PM = 180^\circ - \arctan \frac{\omega_0}{\omega_{p1}} - \arctan \frac{\omega_0}{\omega_{p2}}$$



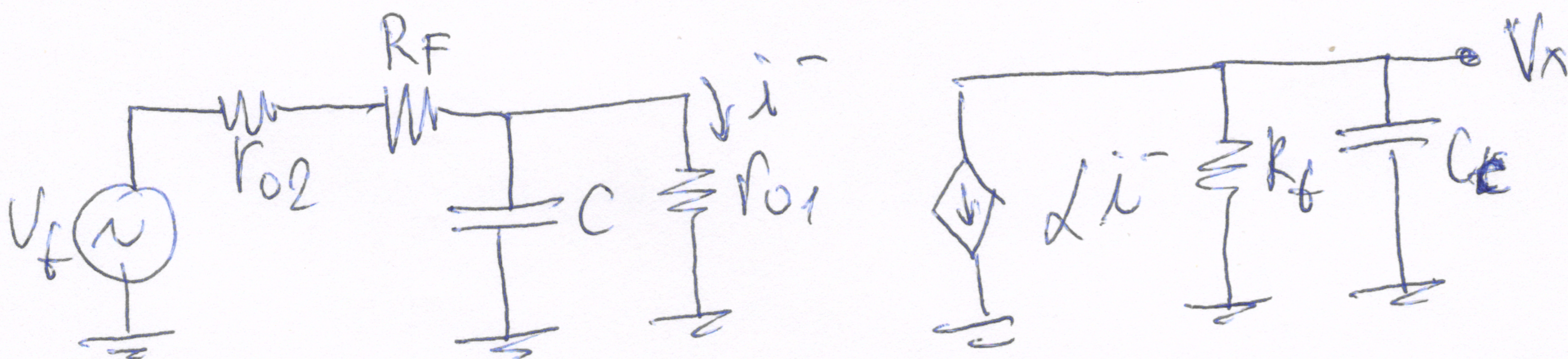
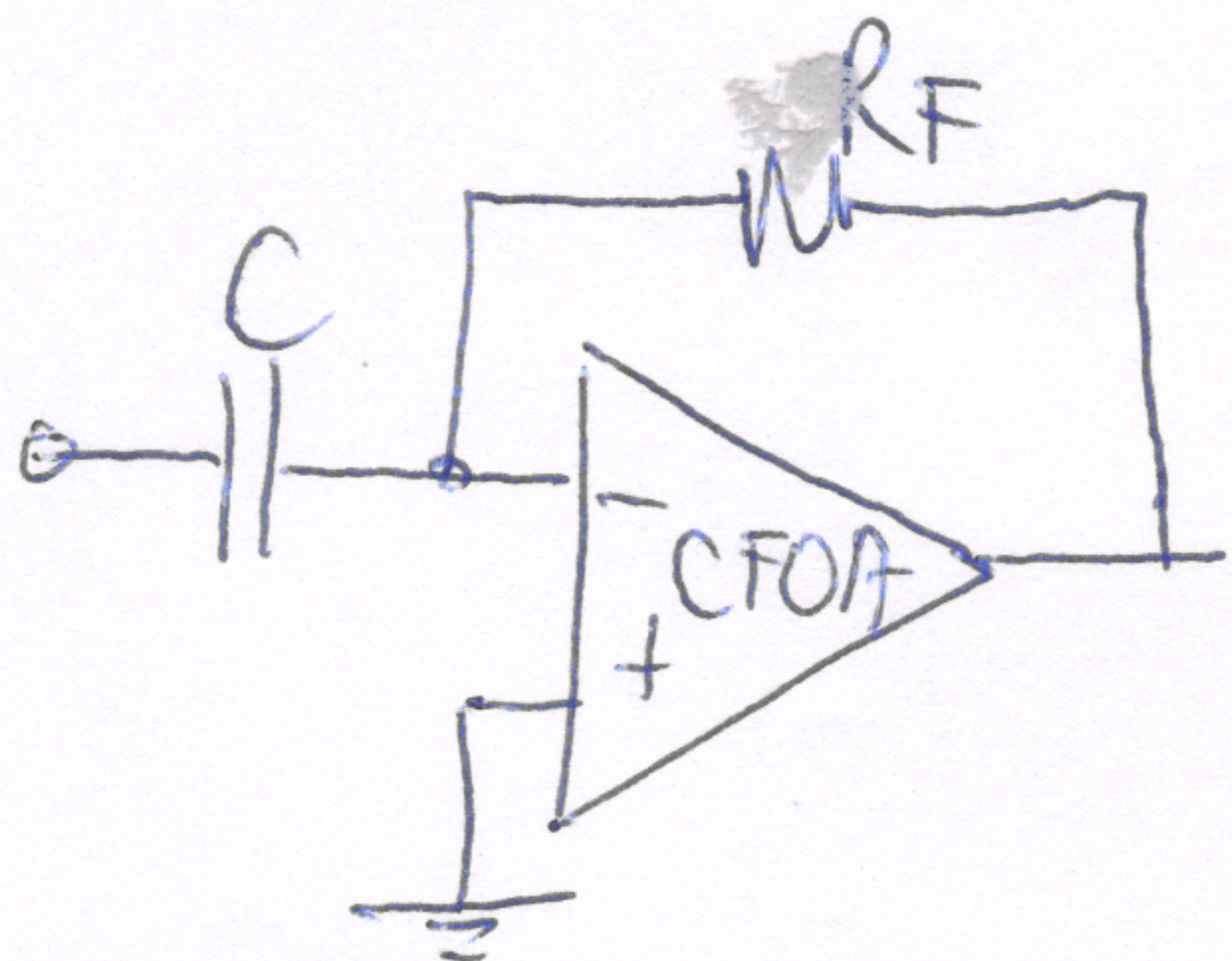
$$\omega_0 = T_0 \cdot \omega_{p1} = \frac{R_t}{r_{O1} + r_{O2}} \cdot \frac{1}{R_t C_t}$$

$$\omega_0 \gg \omega_{p1} \Rightarrow \arctan \frac{\omega_0}{\omega_{p1}} = 90^\circ$$

$$PM = 90 - \arctan \frac{\omega_0}{\omega_{p2}}$$

$$\frac{\omega_0}{\omega_{p2}} = \tan(90^\circ - PM) \Rightarrow C_L \geq \frac{C_t (r_{O1} + r_{O2})^2}{r_{O1} \cdot r_{O2} \cdot \tan(PM)}$$

- 2) Odrediti za koje će vrednosti kapacitivnosti i otpornosti u diferencijatoru realizovanom transimpedansnim pojačavačem margina faze biti manja od zadate vrednosti PM. Poznati su parametri CFA: izlazna otpornost ulaznog bafera r_{o1} , ulazna otpornost izlaznog bafera R_T , izlazna otpornost izlaznog bafera r_{o2} , kompenzaciona kapacitivnost C_c .



$$T(s) = \frac{V_x(s)}{V_f(s)} \quad \text{— кружно pojačanje}$$

kao pobranje signala je prekinuto na ulazu
ulazni signal

$$T_0 = \frac{i^-}{V_f} \cdot 2 \cdot R_F = \frac{R_F}{r_{o1} + r_{o2} + R_F} \approx \frac{R_F}{R_F}$$

$$T_1 = R_F C_c \quad \omega_{p1} = \frac{1}{R_F C_c} \quad \text{— dominantan pol}$$

$$T_2 = C \cdot [r_{o1} \parallel (r_{o2} + R_F)] = C \cdot r_{o1} \parallel R_F \approx C \cdot r_{o1}$$

$$\omega_{GBW} = \omega_{p1} \cdot T_0 = \frac{1}{R_F C_c} \cdot \frac{R_F}{R_F} = \frac{1}{C_c R_F}$$

frekvencija jedinичnog kružnog pojačanja

$$PM = 180 - \arctan \frac{\omega_{GBW}}{\omega_{p1}} - \arctan \frac{\omega_{GBW}}{\omega_{p2}}$$

$$PM = 180 - 90 - \arctan \frac{\omega_{GBW}}{\omega_{p2}}$$

$$\frac{\omega_{GBW}}{\omega_{p2}} = \tan(90 - PM)$$

$$\frac{\omega_{GBW}}{\omega_{p2}} = \frac{1}{\tan PM}$$

$$\frac{1}{C_t \cdot R_F} \cdot C \cdot V_{O1} = \frac{1}{\tan PM}$$

$$\frac{C}{R_F} = \frac{C_t}{V_{O1}} \cdot \frac{1}{\tan PM}$$

$$\frac{R_F}{C} \geq \frac{V_{O1}}{C_t} \cdot \tan PM$$
